

动手一天学深度学习

1 基础 · 2 卷积网络 · 3 计算 · 4 计算机视觉

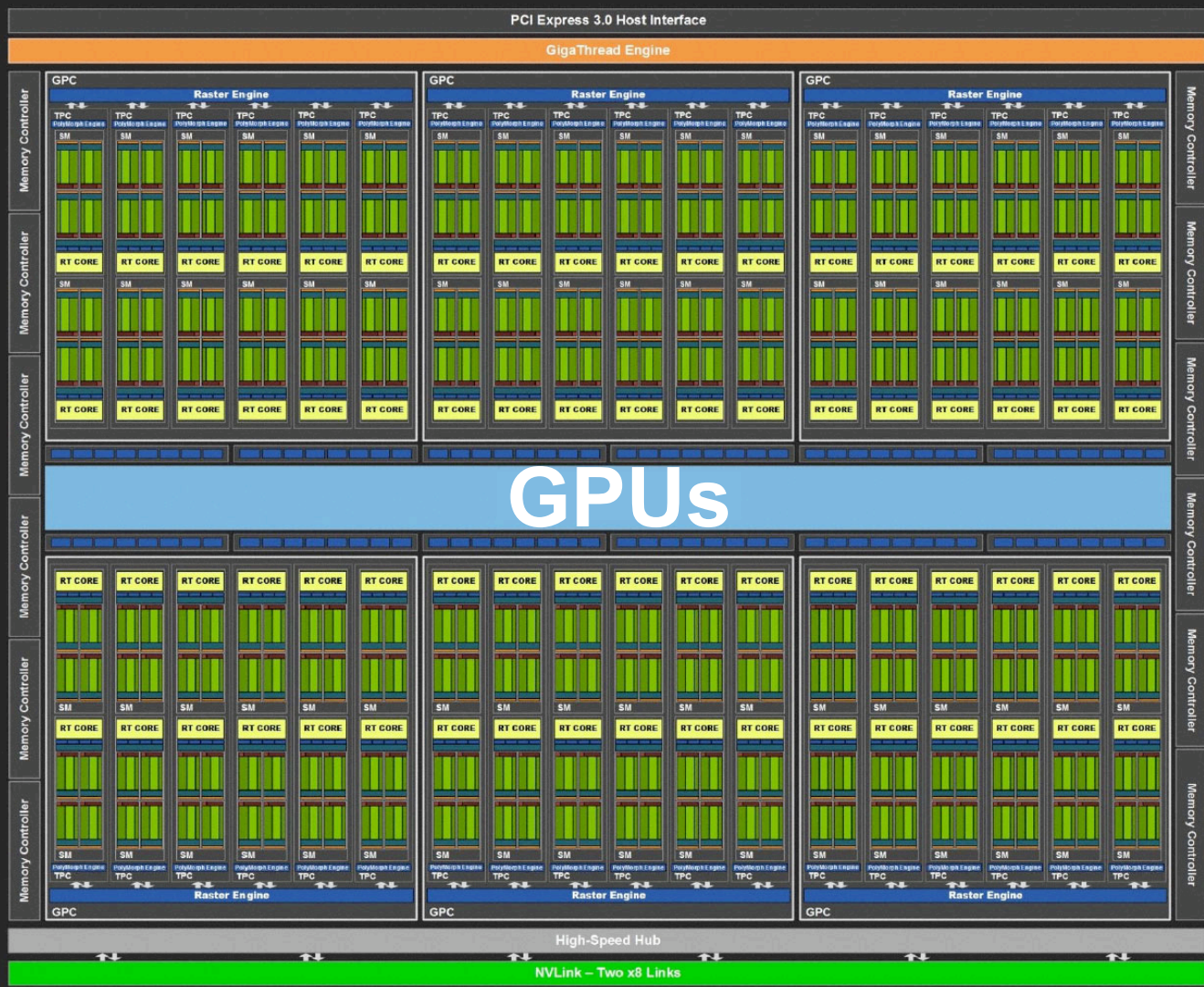
深度学习实训营 2019

李沐

<http://1day-zh.d2l.ai>

大纲

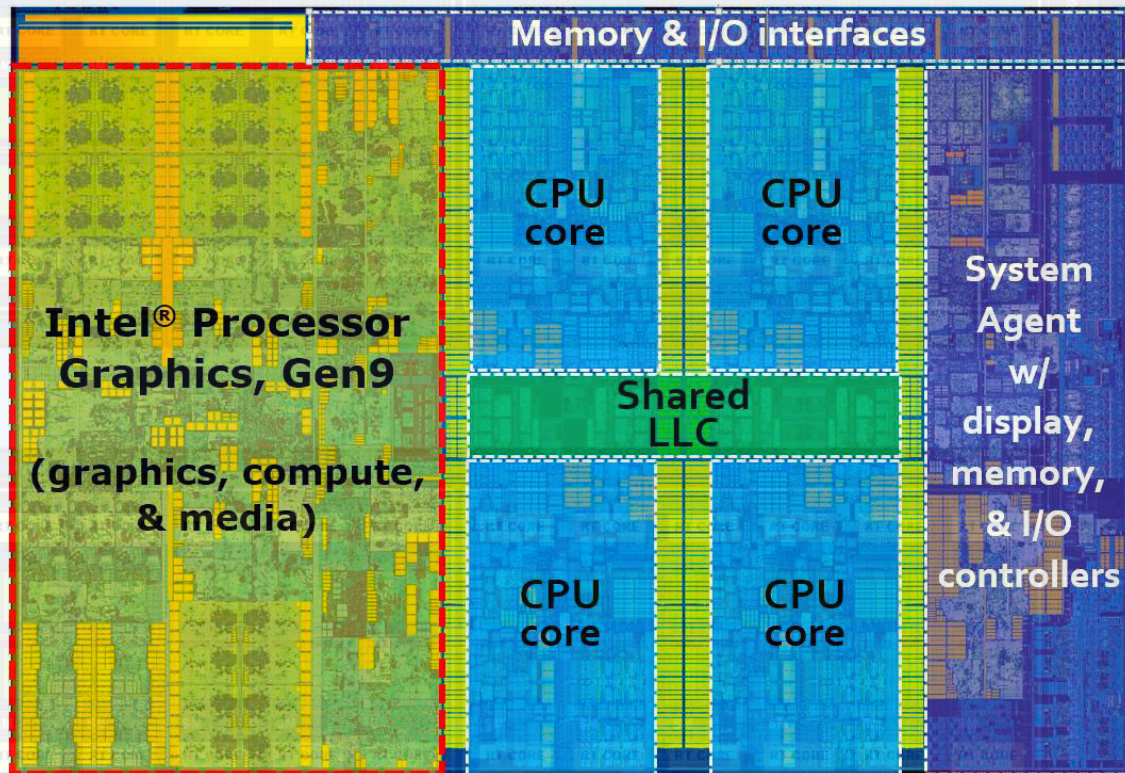
- **GPUs**
- **卷积, 填充, 步幅, 池化**
- **卷积神经网络 (LeNet)**
- **深度卷积神经网络 (AlexNet)**
- **使用重复元素 (VGG)**
- **残差网络 (ResNet)**



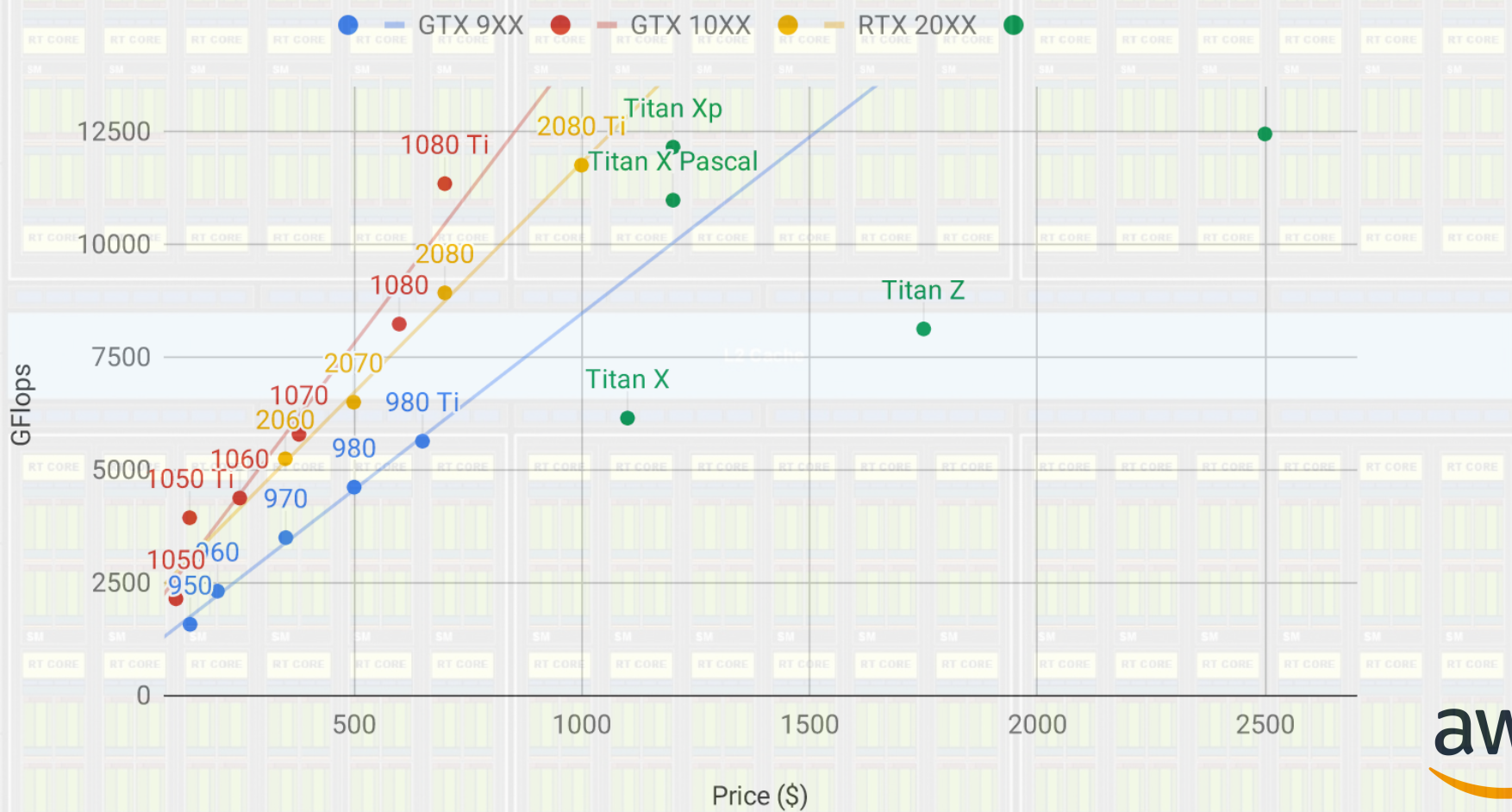
NVIDIA Turing TU102

Intel i7-6700K

- 4 物理核
- 每个核
 - 64KB L1 缓存
 - 256KB L2 缓存
- 共享的 8MB L3 缓存
- 30 GB/s 内存带宽

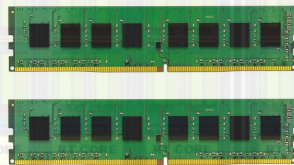
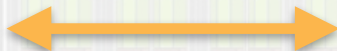


GPU 性能



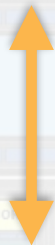
高端游戏、深度学习PC

Intel i7
0.15 TFLOPS



DDR4
32 GB

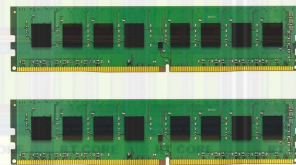
L2 Cache



Nvidia Titan RTX
12 TFLOPS (130TF for FP16 TensorCores)
24 GB

Highend Gaming / DeepLearning PC

Intel i7
0.15 TFLOPS



DDR4
32 GB

`ctx = npx.cpu()`

`x.copyto(ctx)`



Nvidia Titan RTX
12 TFLOPS (130TF for FP16 TensorCores)
24 GB

`ctx = npx.gpu(0)`

GPU Notebook



从全连接网络到卷积网络

区分猫和狗图片

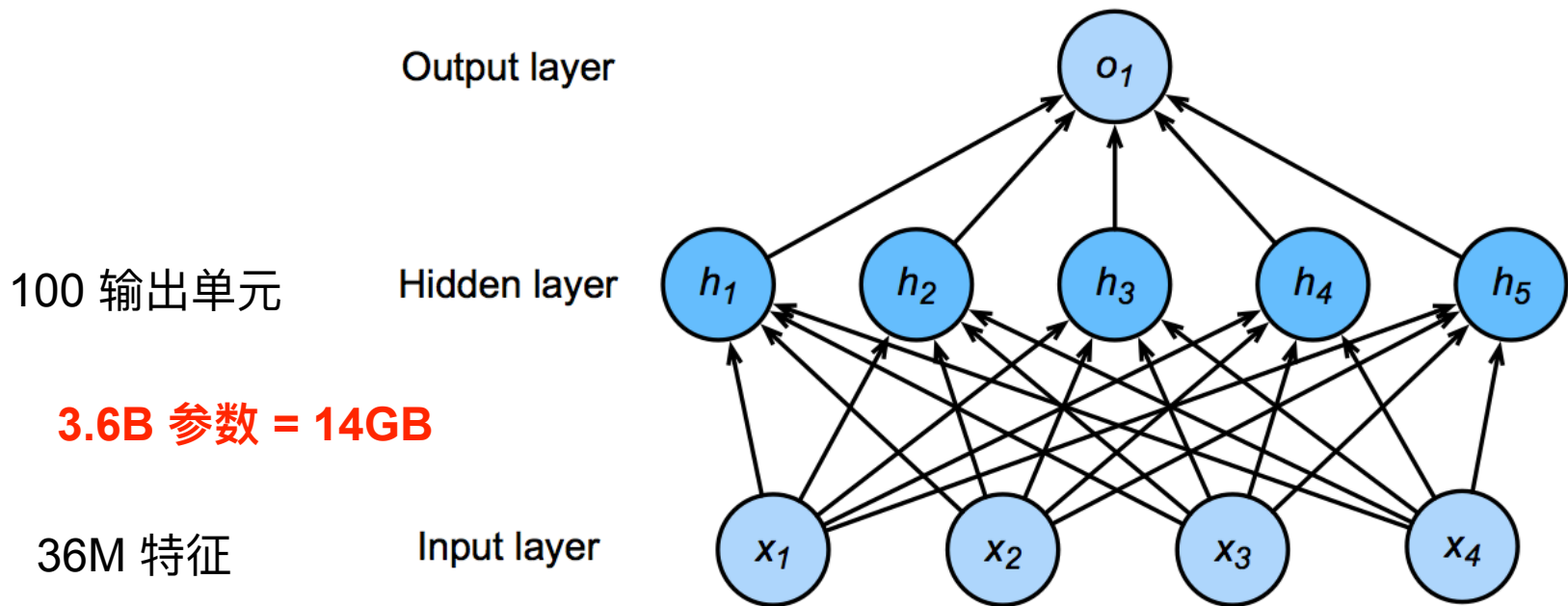
- 使用一个还可以的摄像头
- RGB 图片有 36M 元素
- 单100输出的隐藏层模型有 36 亿元素
- 超过了地球上所有的猫和狗
(9亿狗 + 6亿猫)



Dual
12MP
wide-angle and
telephoto cameras



倒叙 — 单隐藏层网络



$$\mathbf{h} = \sigma(\mathbf{W}\mathbf{x} + \mathbf{b})$$

Waldo 在
哪里？



两个原则

- 变化无关
- 本地性



重新考虑全连接层

- 将输入和输出变形成矩阵 (宽, 高)
- 将权重变形成 4-D 张量

$$h_{i,j} = \sum_{k,l} w_{i,j,k,l} x_{k,l} = \sum_{a,b} v_{i,j,a,b} x_{i+a,j+b}$$

这里 W 是 V 的元素重新排列:

$$v_{i,j,a,b} = w_{i,j,i+a,j+b}$$

想法1：变化无关

$$h_{i,j} = \sum_{a,b} v_{i,j,a,b} x_{i+a,j+b}$$

- 在 x 中的偏移会导致 h 中的偏移和数值变化
- v 不应该跟 (i,j) 相关联。修改 $v_{i,j,a,b} = v_{a,b}$

$$h_{i,j} = \sum_{a,b} v_{a,b} x_{i+a,j+b}$$

这是 2-D ~~卷积~~
互相关

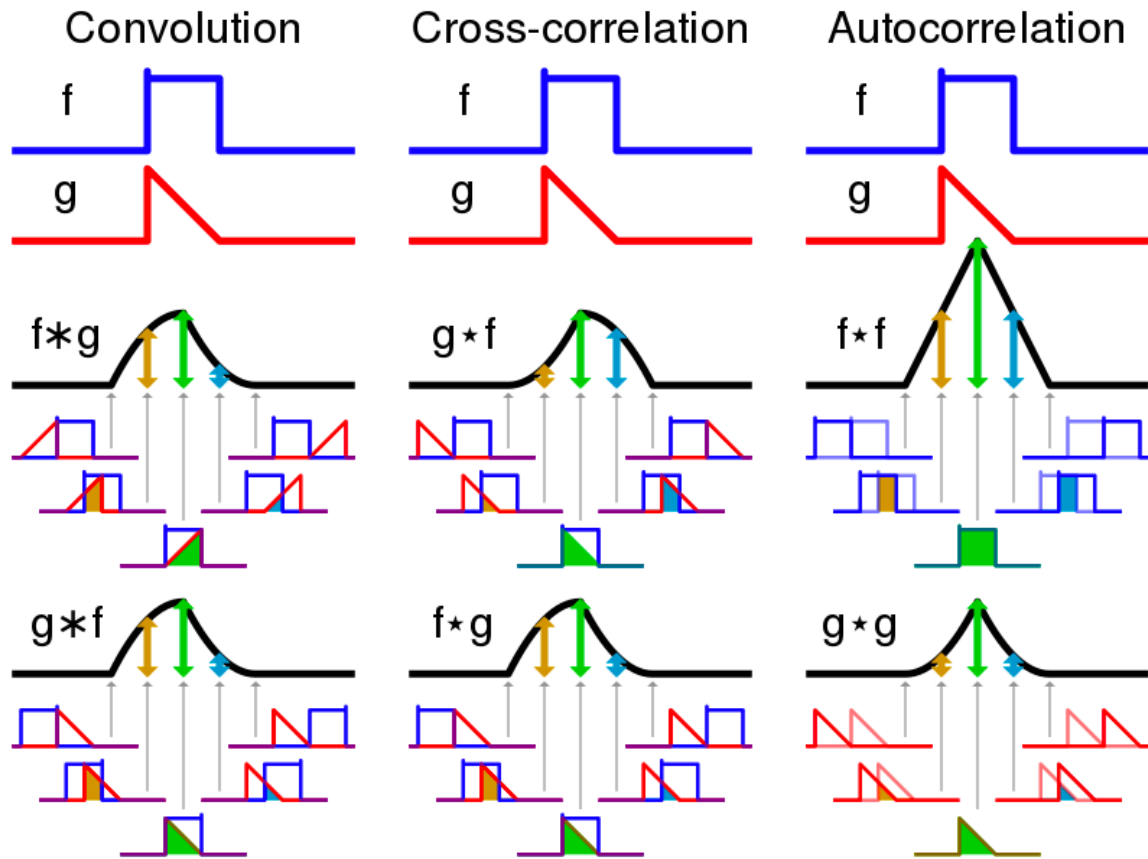
想法 2 — 本地性

$$h_{i,j} = \sum_{a,b} v_{a,b} x_{i+a,j+b}$$

- 我们不应该看离 $x(i,j)$ 太远的来计算 $h(i,j)$
- 在区间 $|a|, |b| > \Delta$ 外的权重置零 $v_{a,b} = 0$

$$h_{i,j} = \sum_{a=-\Delta}^{\Delta} \sum_{b=-\Delta}^{\Delta} v_{a,b} x_{i+a,j+b}$$

卷积层



2-D 互相关

Input

0	1	2
3	4	5
6	7	8

Kernel

0	1
2	3

*

=

Output

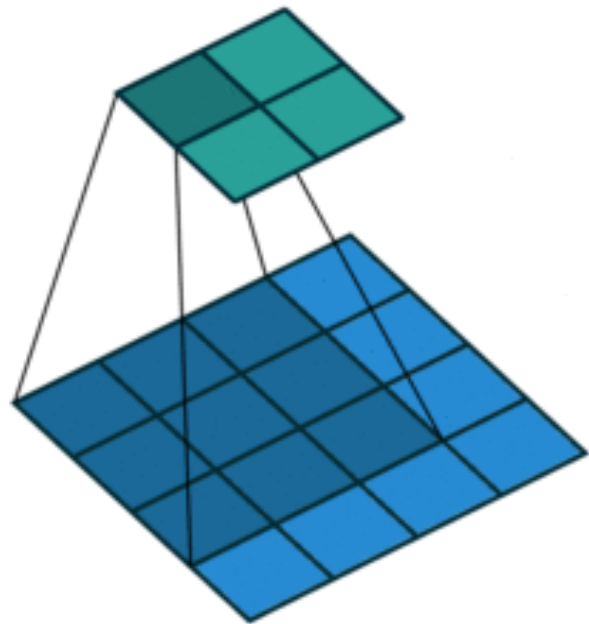
19	25
37	43

$$0 \times 0 + 1 \times 1 + 3 \times 2 + 4 \times 3 = 19,$$

$$1 \times 0 + 2 \times 1 + 4 \times 2 + 5 \times 3 = 25,$$

$$3 \times 0 + 4 \times 1 + 6 \times 2 + 7 \times 3 = 37,$$

$$4 \times 0 + 5 \times 1 + 7 \times 2 + 8 \times 3 = 43.$$



(vdumoulin@ Github)

2-D 卷积层

- $\mathbf{X} : n_h \times n_w$: 输入矩阵

- $\mathbf{W} : k_h \times k_w$: 核矩阵

- b : scalar bias

- $\mathbf{Y} : (n_h - k_h + 1) \times (n_w - k_w + 1)$: 输出矩阵

0	1	2
3	4	5
6	7	8

 *

0	1
2	3

 =

19	25
37	43

$$\mathbf{Y} = \mathbf{X} \star \mathbf{W} + b$$

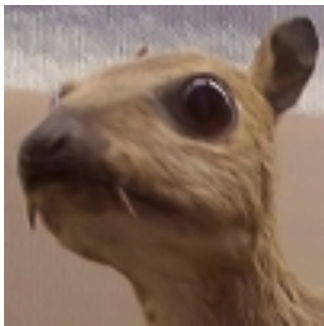
- $\mathbf{W}$ 和 b 是可以学习的参数

例子

$$\begin{bmatrix} -1 & -1 & -1 \\ -1 & 8 & -1 \\ -1 & -1 & -1 \end{bmatrix}$$

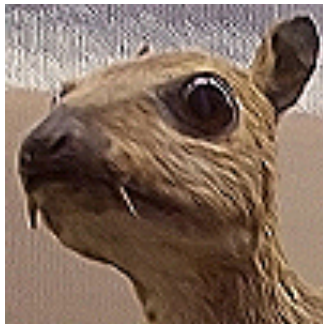


边缘检测



(wikipedia)

$$\begin{bmatrix} 0 & -1 & 0 \\ -1 & 5 & -1 \\ 0 & -1 & 0 \end{bmatrix}$$



锐化

$$\frac{1}{16} \begin{bmatrix} 1 & 2 & 1 \\ 2 & 4 & 2 \\ 1 & 2 & 1 \end{bmatrix}$$



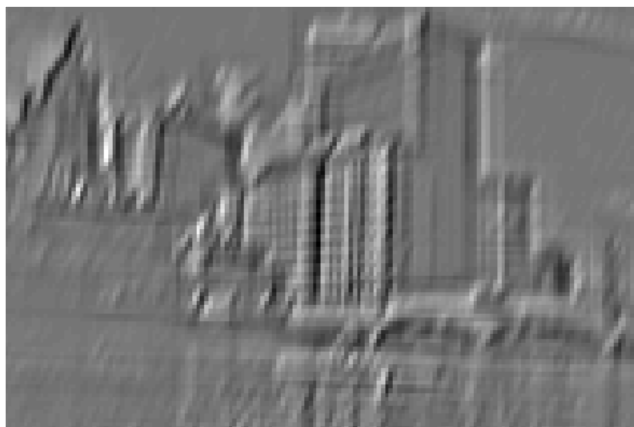
高斯模糊

例子



(Rob Fergus)

<http://1day-zh.gluon.ai>



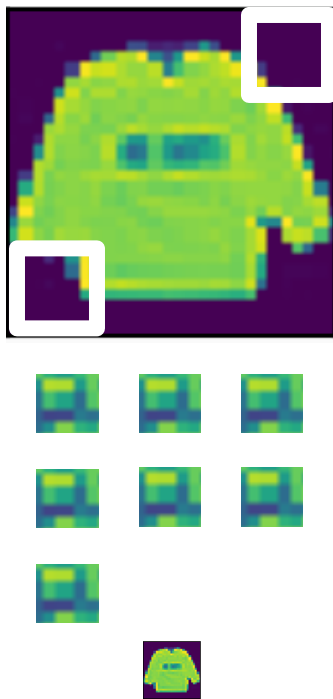
Convolutions Notebook

A photograph of a city street with four identical men in the foreground, each in a different pose, suggesting motion. They are wearing dark jackets, blue jeans, and brown shoes. The background shows a busy street with cars, pedestrians, and buildings. The text "填充和步幅" is overlaid in the center.

填充和步幅

填充

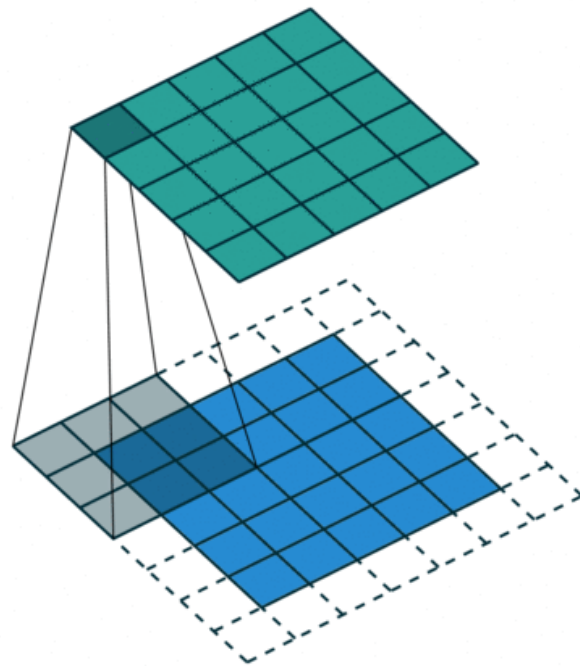
- 给定一张 32×32 输入图片
- 使用 5×5 核卷积
 - 使用一层：输出为 28×28
 - 使用七层：输出为 4×4
- 大尺寸的核导致形状大小锐减
 - 从 $n_h \times n_w$ 变成
 $(n_h - k_h + 1) \times (n_w - k_w + 1)$



填充

在输入的四周填充行和列，通常填充值为0

Input					Kernel		Output				
0	0	0	0	0	*	=	0	3	8	4	
0	0	1	2	0			9	19	25	10	
0	3	4	5	0			21	37	43	16	
0	6	7	8	0			6	7	8	0	
0	0	0	0	0							



$$0 \times 0 + 0 \times 1 + 0 \times 2 + 0 \times 3 = 0$$

填充

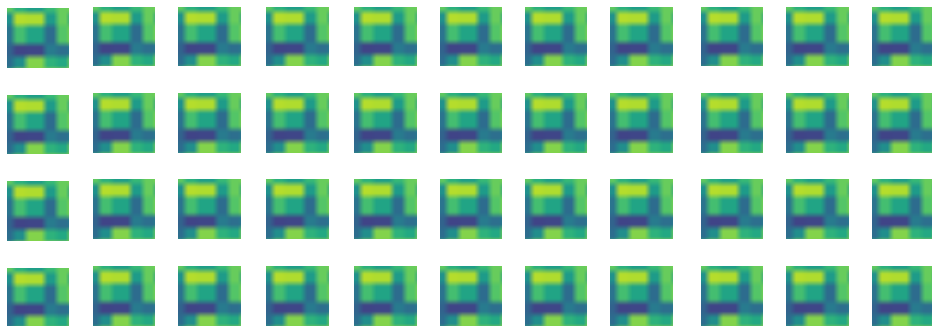
- 填充 p_h 行和 p_w 列，输出形状为

$$(n_h - k_h + p_h + 1) \times (n_w - k_w + p_w + 1)$$

- 通常使用 $p_h = k_h - 1$ 和 $p_w = k_w - 1$
 - 奇数 k_h : 在两边填充 $p_h/2$
 - 偶数 k_h : 上面填充 $\lceil p_h/2 \rceil$, 下面 $\lfloor p_h/2 \rfloor$

步幅

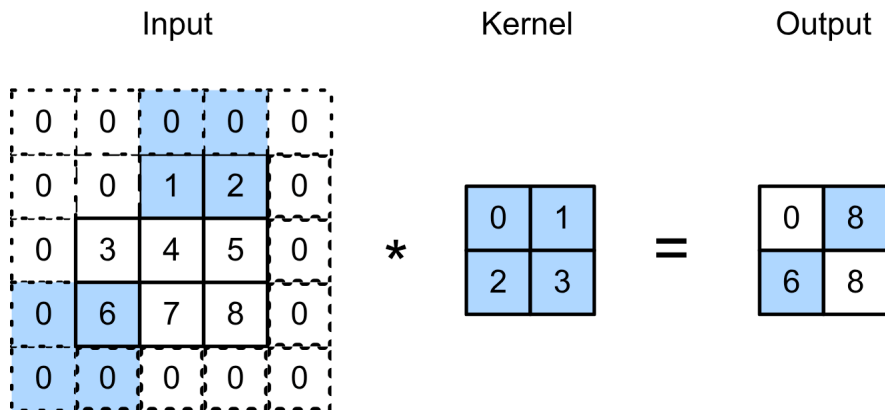
- 填充可以让形状不变或者线性随层数减小
 - 使用 224×224 图片和 5×5 核卷积，需要 44 层来将输出变成 4×4 ，这样导致大量的计算



步幅

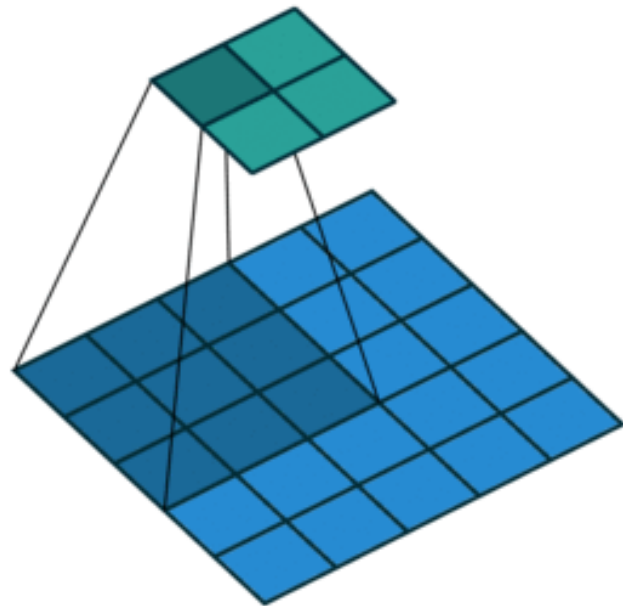
- 步幅是每次滑动时越过的行、列数

高步幅3，宽步幅2



$$0 \times 0 + 0 \times 1 + 1 \times 2 + 2 \times 3 = 8$$

$$0 \times 0 + 6 \times 1 + 0 \times 2 + 0 \times 3 = 6$$



步幅

- 给定高步幅 s_h 和宽步幅 s_w ，输出的形状为

$$\lfloor (n_h - k_h + p_h + s_h)/s_h \rfloor \times \lfloor (n_w - k_w + p_w + s_w)/s_w \rfloor$$

- 使用 $p_h = k_h - 1$ 和 $p_w = k_w - 1$

$$\lfloor (n_h + s_h - 1)/s_h \rfloor \times \lfloor (n_w + s_w - 1)/s_w \rfloor$$

如果高和宽可以被步幅整除

$$(n_h/s_h) \times (n_w/s_w)$$



多输入和输出通道

多输入通道

- 彩色图片可能有 RGB 三个通道，转成灰度图片会损失信息



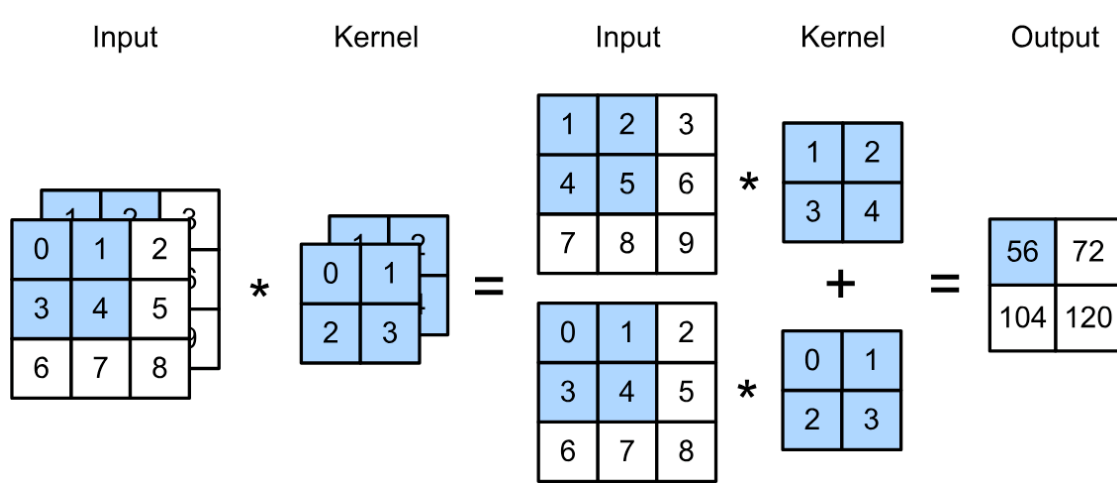
多输入通道

- 彩色图片可能有 RGB 三个通道，转成灰度图片会损失信息



多输入通道

- 每个输出通道使用一个卷积核，然后对结果相加



$$(1 \times 1 + 2 \times 2 + 4 \times 3 + 5 \times 4) \\ + (0 \times 0 + 1 \times 1 + 3 \times 2 + 4 \times 3) \\ = 56$$

多输入通道

- 输入 $\mathbf{X} : c_i \times n_h \times n_w$
- 核 $\mathbf{W} : c_i \times k_h \times k_w$
- 输出 $\mathbf{Y} : m_h \times m_w$

$$\mathbf{Y} = \sum_{i=0}^{c_i} \mathbf{X}_{i,:,:} \star \mathbf{W}_{i,:,:}$$

多输出通道

- 不论多少输入通道，输出通道总是1
- 我们可以有多个 3-D 核，每个核产生一个输出通道
- 输入 $\mathbf{X} : c_i \times n_h \times n_w$
- 核 $\mathbf{W} : c_o \times c_i \times k_h \times k_w$
- 输出 $\mathbf{Y} : c_o \times m_h \times m_w$

$$\mathbf{Y}_{i,:,:) = \mathbf{X} \star \mathbf{W}_{i,:,:,:) \quad \text{for } i = 1, \dots, c_o$$

多输入、输出通道

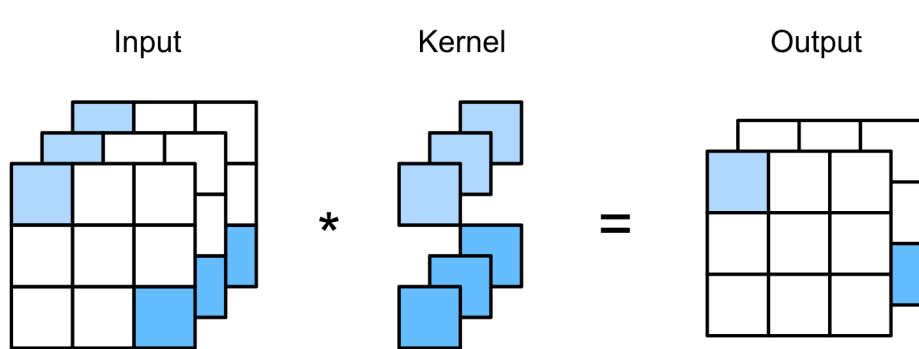
- 每个输出通道可能识别某个模式



- 讲多个输入通道模式合并来识别一个更高层的模式

1 x 1 卷积层

一个常用选择是 $k_h = k_w = 1$ 。它不识别空间信息，但混合通道



等价一个全连接层，它有 $n_h n_w \times c_i$ 输入，权重为 $c_o \times c_i$

2-D 卷积层总结 Layer Summary

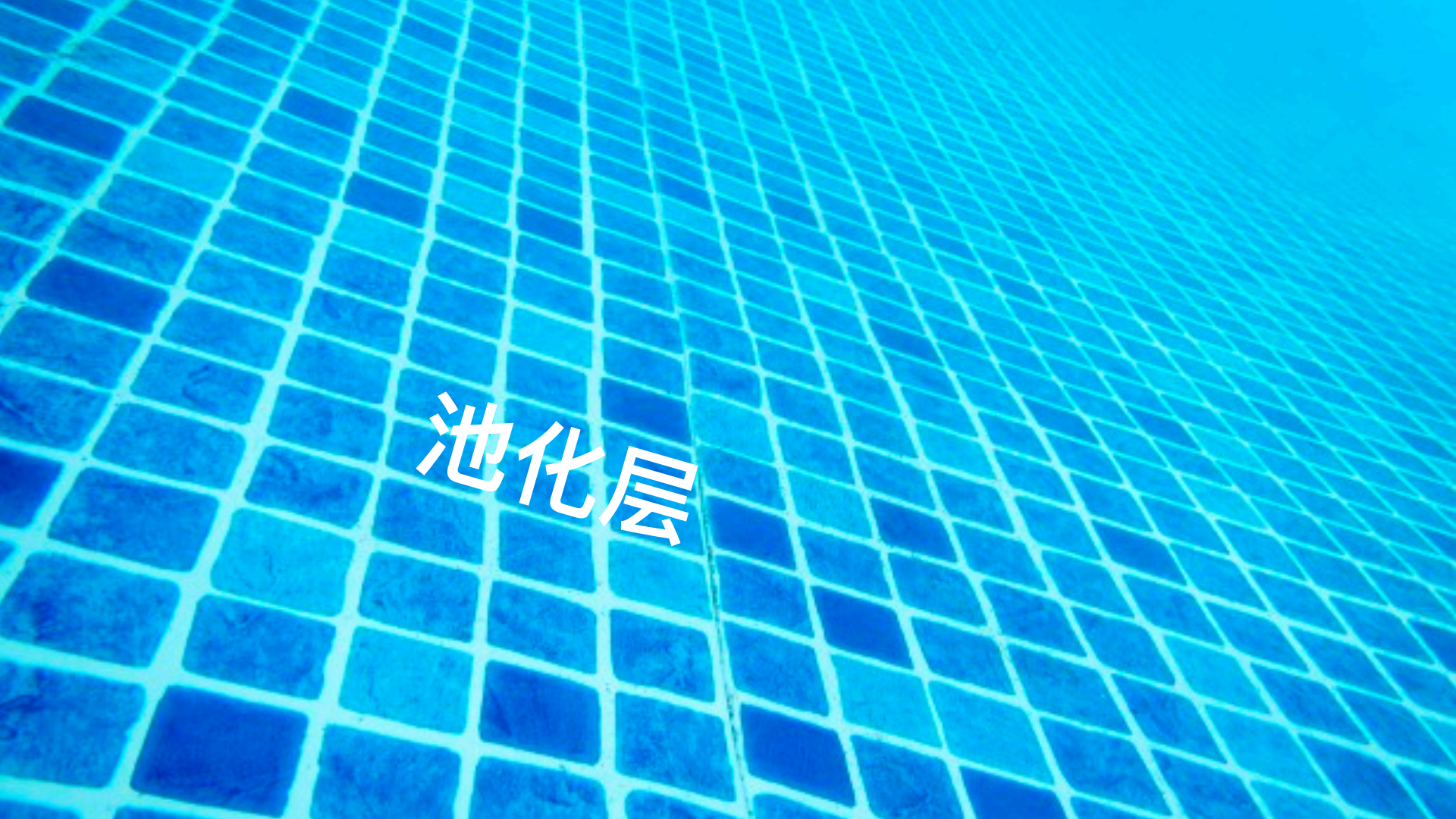
- 输入 $\mathbf{X} : c_i \times n_h \times n_w$
- 核 $\mathbf{W} : c_o \times c_i \times k_h \times k_w$
- 偏移 $\mathbf{B} : c_o \times c_i$
- 输出 $\mathbf{Y} : c_o \times m_h \times m_w$

$$\mathbf{Y} = \mathbf{X} \star \mathbf{W} + \mathbf{B}$$

- 计算复杂度（浮点计算数 FLOP） $O(c_i c_o k_h k_w m_h m_w)$

$$c_i = c_o = 100, k_h = k_w = 5, m_h = m_w = 64 \rightarrow 1\text{GFLOP}$$

- 10 层, 1M 样本: 10PF
(CPU: 0.15 TF = 18h, GPU: 12 TF = 14min)



池化层

池化层

- 卷积对位置敏感
 - 检测垂直边

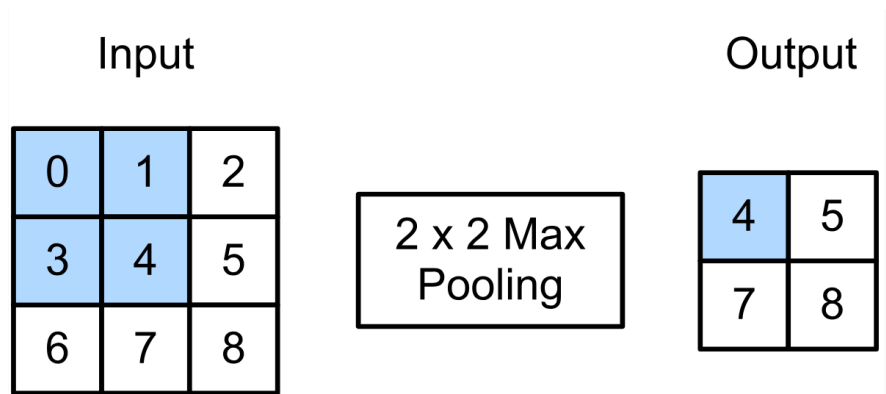
$$\begin{array}{c} X \\ \begin{bmatrix} 1. & 1. & 0. & 0. & 0. \\ 1. & 1. & 0. & 0. & 0. \\ 1. & 1. & 0. & 0. & 0. \\ 1. & 1. & 0. & 0. & 0. \end{bmatrix} \end{array} \quad \begin{array}{c} Y \\ \begin{bmatrix} 0. & 1. & 0. & 0. \\ 0. & 1. & 0. & 0. \\ 0. & 1. & 0. & 0. \\ 0. & 1. & 0. & 0. \end{bmatrix} \end{array}$$

1 个像素偏移
导致输出为 0

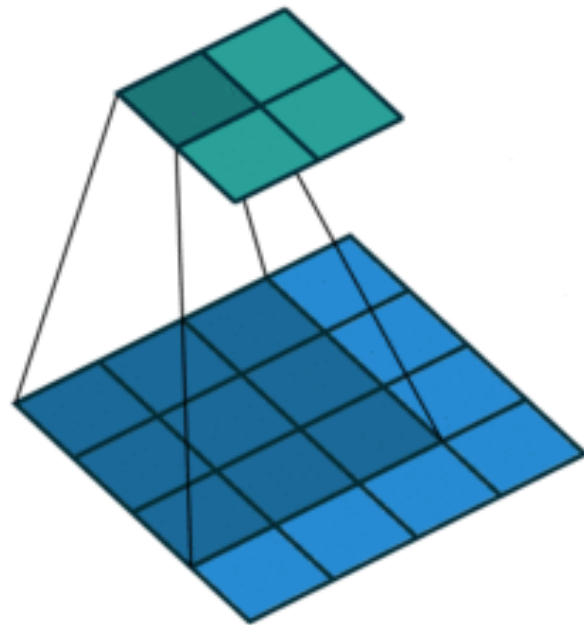
- 我们需要一定程度上变化无关
 - 光照，物体位置，大小，外观变化

2-D 最大池化层

- 返回在一个滑动窗里的最大值



$$\max(0, 1, 3, 4) = 4$$



2-D 最大池化层

- 返回在一个滑动窗里的最大值

检测垂直边

```
[[1. 1. 0. 0. 0.
 [1. 1. 0. 0. 0.
 [1. 1. 0. 0. 0.
 [1. 1. 0. 0. 0.
```

卷积输出

```
[[ 0.  1.  0.  0.
 [ 0.  1.  0.  0.
 [ 0.  1.  0.  0.
 [ 0.  1.  0.  0.
```

2 x 2 最大池化层

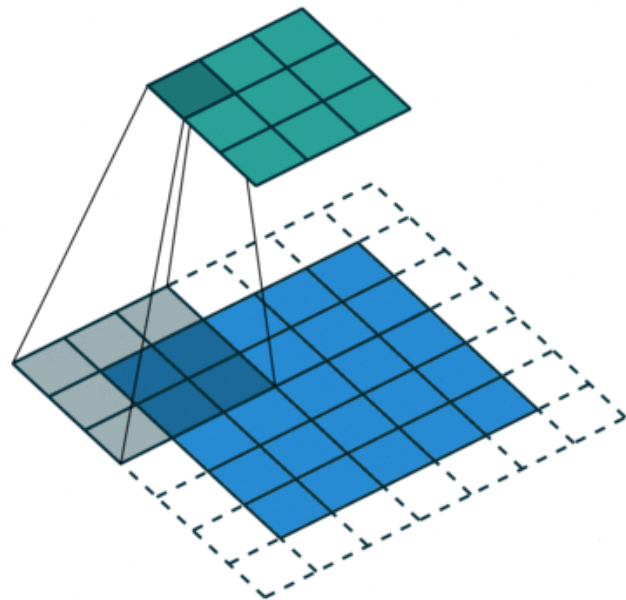
```
[[ 1.  1.  1.  0.
 [ 1.  1.  1.  0.
 [ 1.  1.  1.  0.
 [ 1.  1.  1.  0.
```

容忍一个像素
偏移

填充、步幅、和多通道

- 池化层的填充和步幅与卷积层类似
- 没有可学习的参数
- 对每个输入通道应用池化得到对应输出通道结果

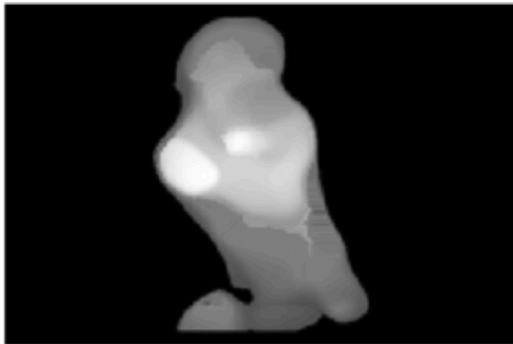
输出通道数 = 输入通道数



平均池化

- 最大池化：滑动窗里的最大信号值
- 平均池化：将 max 变成 mean
 - 窗口里的平均信号值

Max pooling

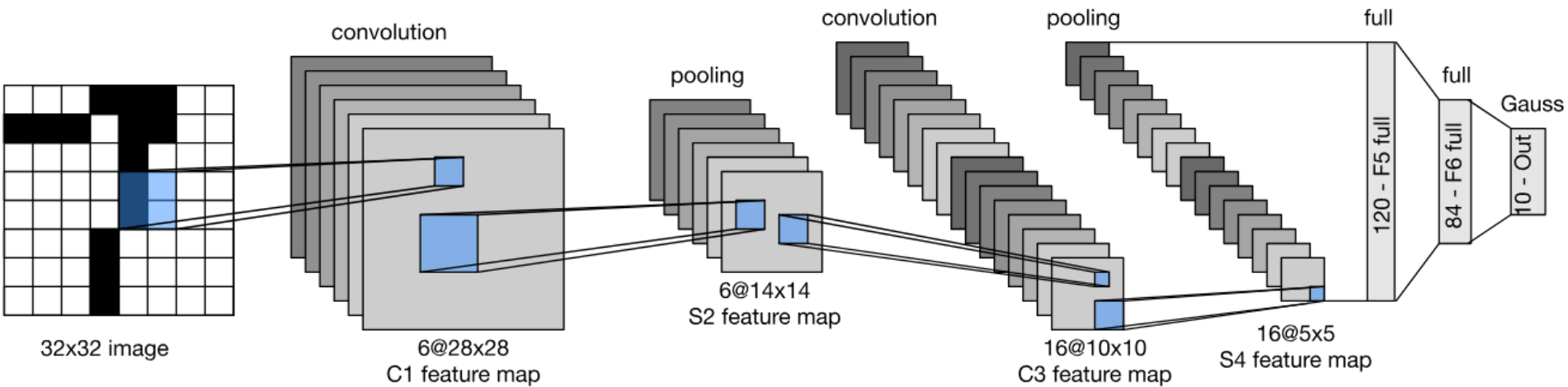


Average pooling

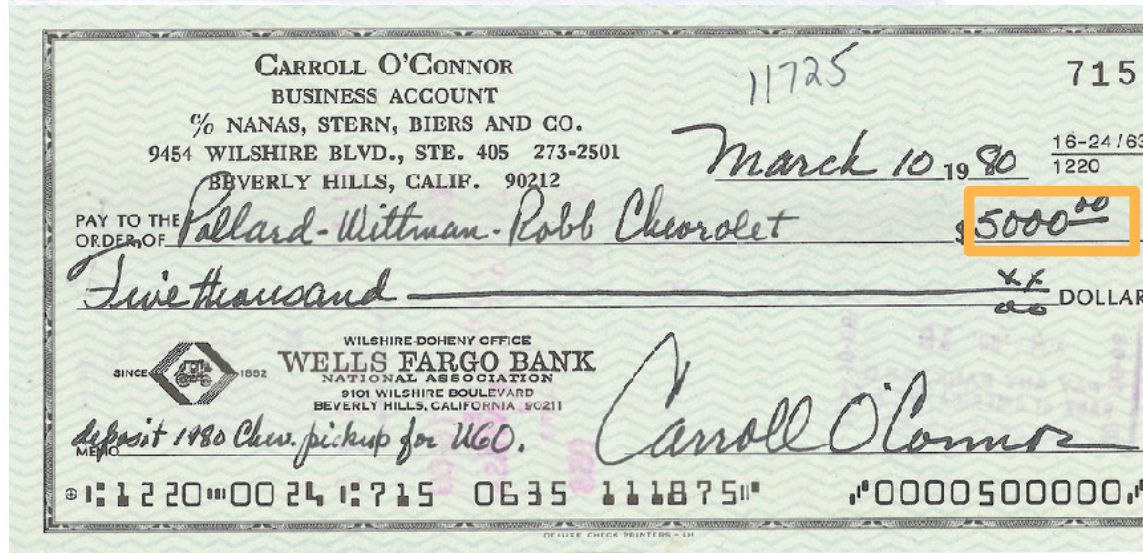
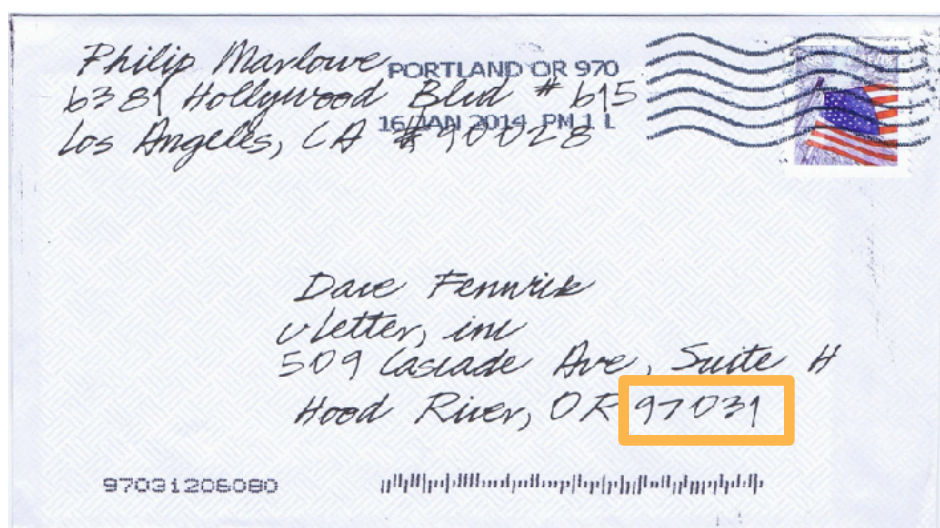


Pooling Notebook

LeNet



手写数字识别



MNIST

- 居中且剪裁了
- 50,000 训练样本
- 10,000 测试样本
- 28 x 28 灰度图片
- 10 类

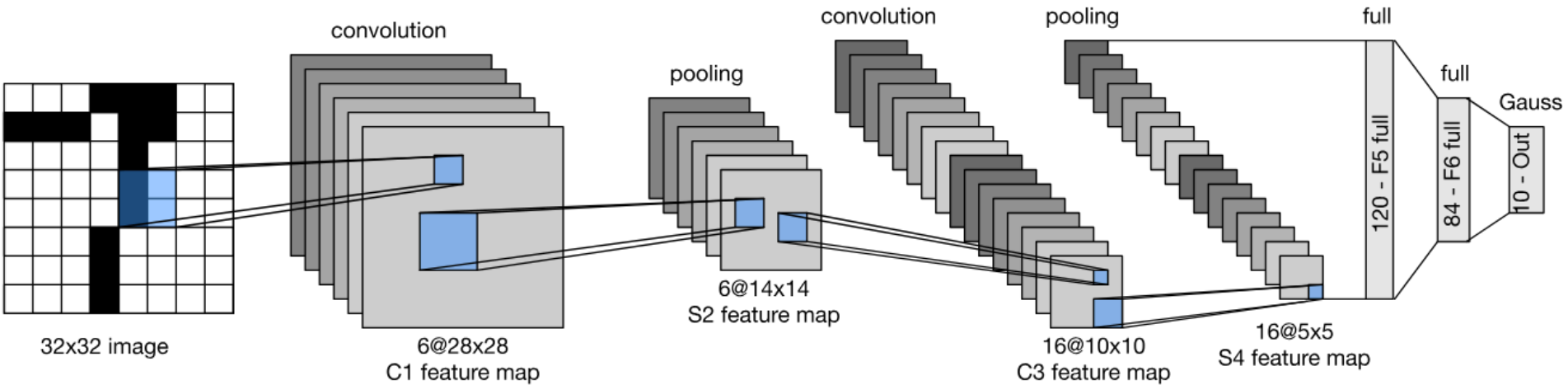




0
103

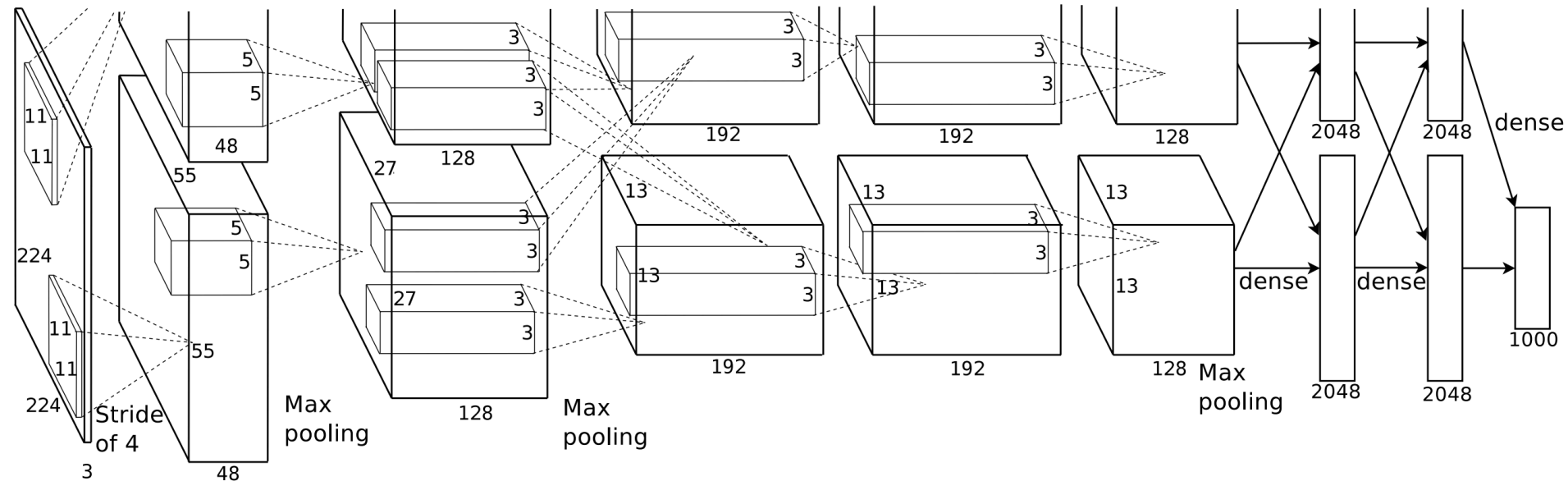


Y. LeCun, L.
Bottou, Y. Bengio,
P. Haffner, 1998
Gradient-based
learning applied to
document
recognition



LeNet Notebook

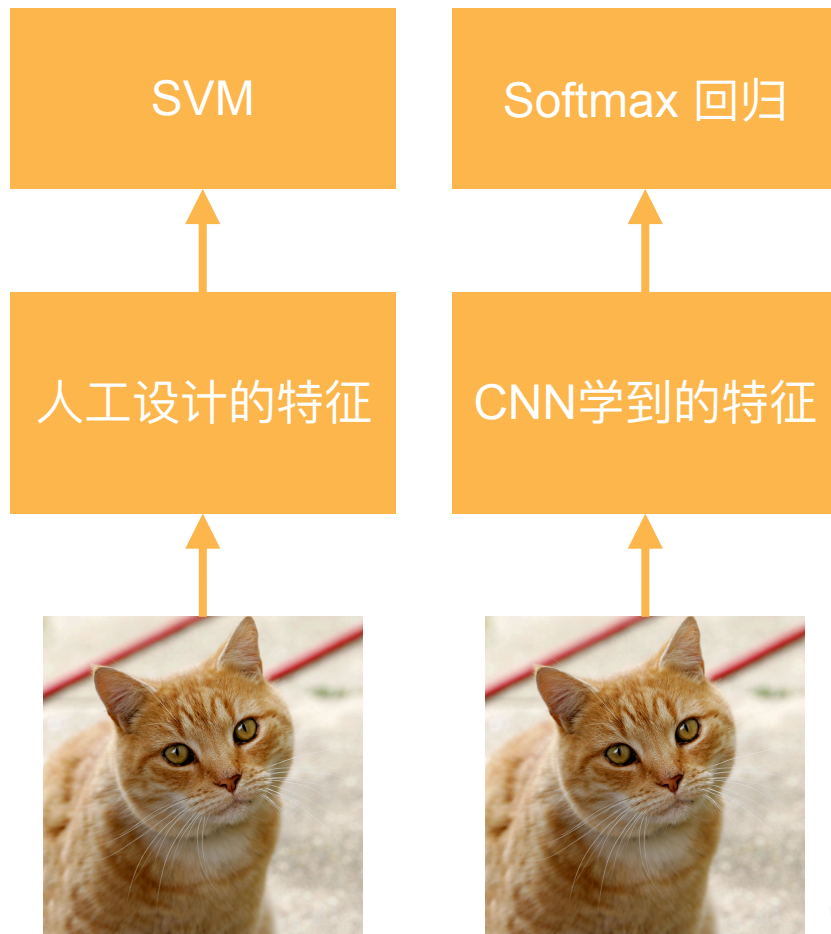
AlexNet



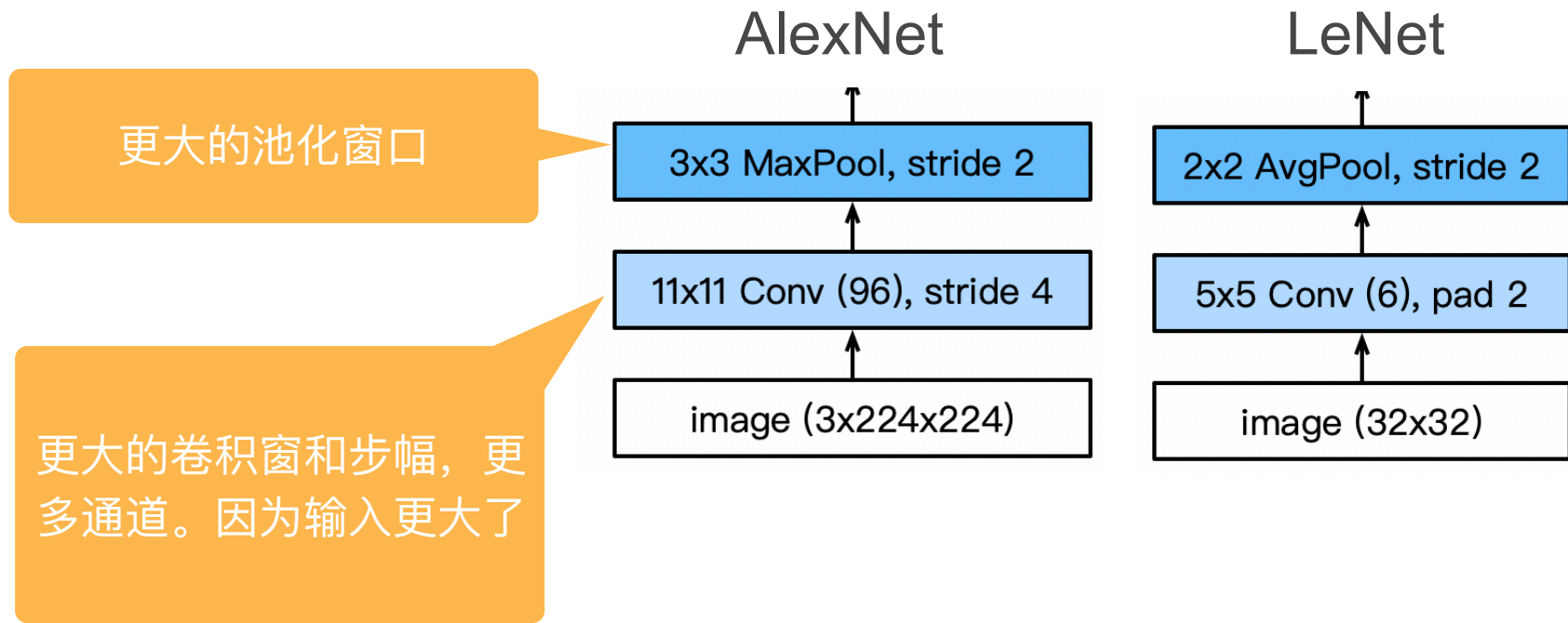
AlexNet

- AlexNet 在 ImageNet 2012 竞赛中获得了冠军
- 更深更大的LeNet
- 关键改动
 - Dropout
 - ReLu
 - MaxPooling
- 观点上的改变

<http://1day-zh.gluon.ai>

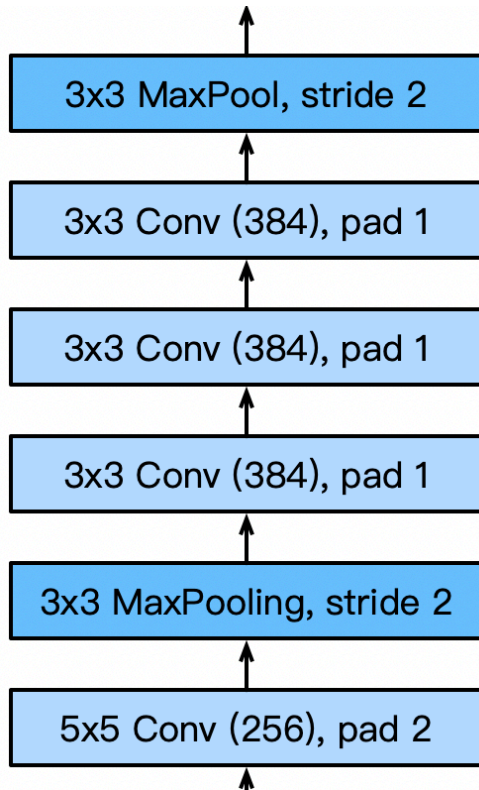


AlexNet 架构



AlexNet 架构

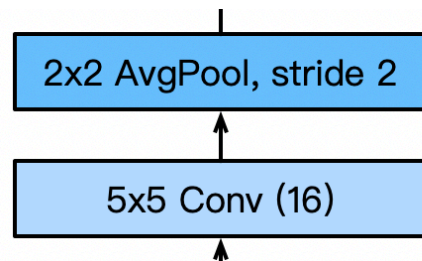
AlexNet



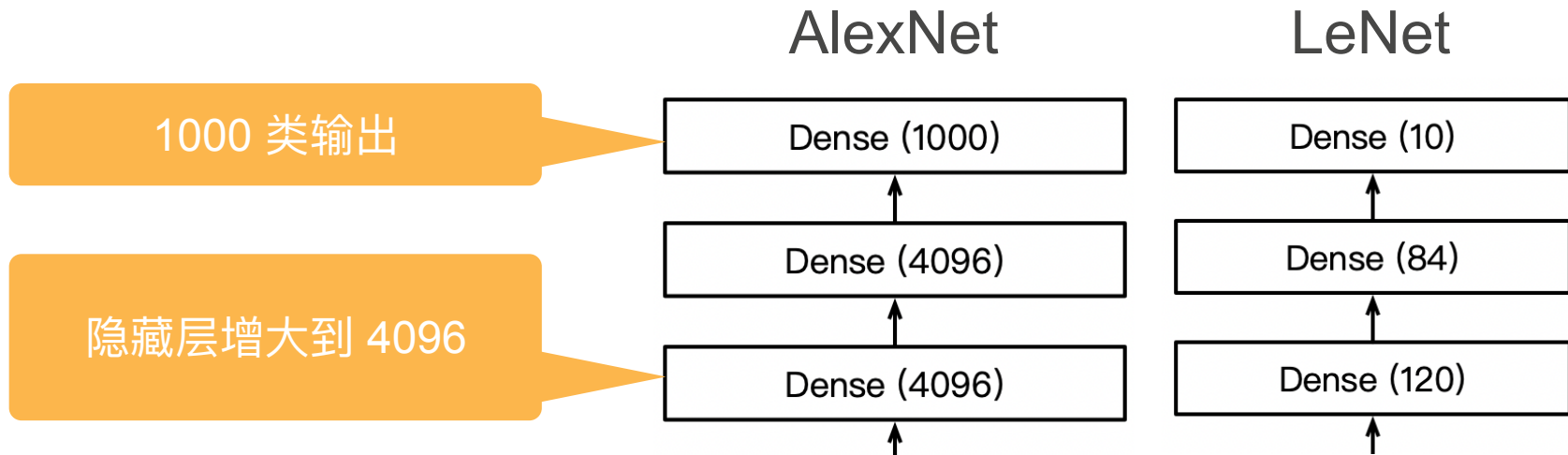
三个额外的卷积层

更多通道

LeNet

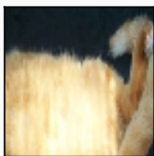
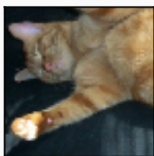


AlexNet 架构



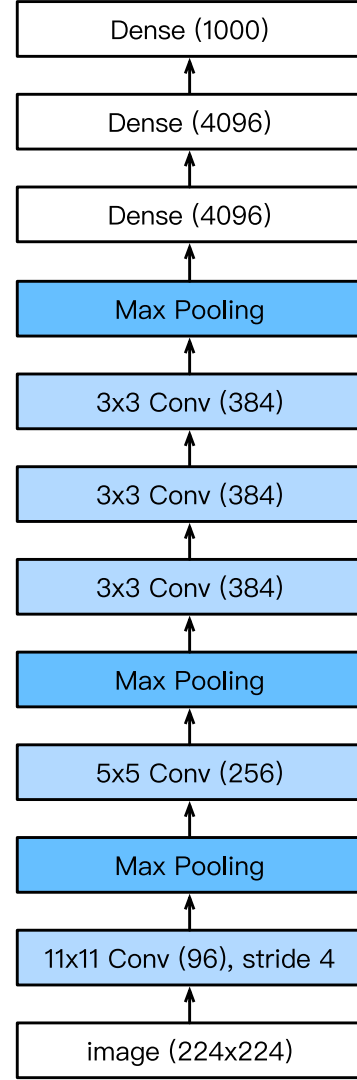
更多技巧

- 激活函数从 sigmoid 变成 ReLu (没有梯度消失)
- 增加 dropout 层 (更鲁棒)
- 数据增强



复杂度

	参数数量		FLOP	
	AlexNet	LeNet	AlexNet	LeNet
Conv1	35K	150	101M	1.2M
Conv2	614K	2.4K	415M	2.4M
Conv3-5	3M		445M	
Dense1	26M	0.48M	26M	0.48M
Dense2	16M	0.1M	16M	0.1M
Total	46M	0.6M	1G	4M
Increase	11x	1x	250x	1x



AlexNet Notebook

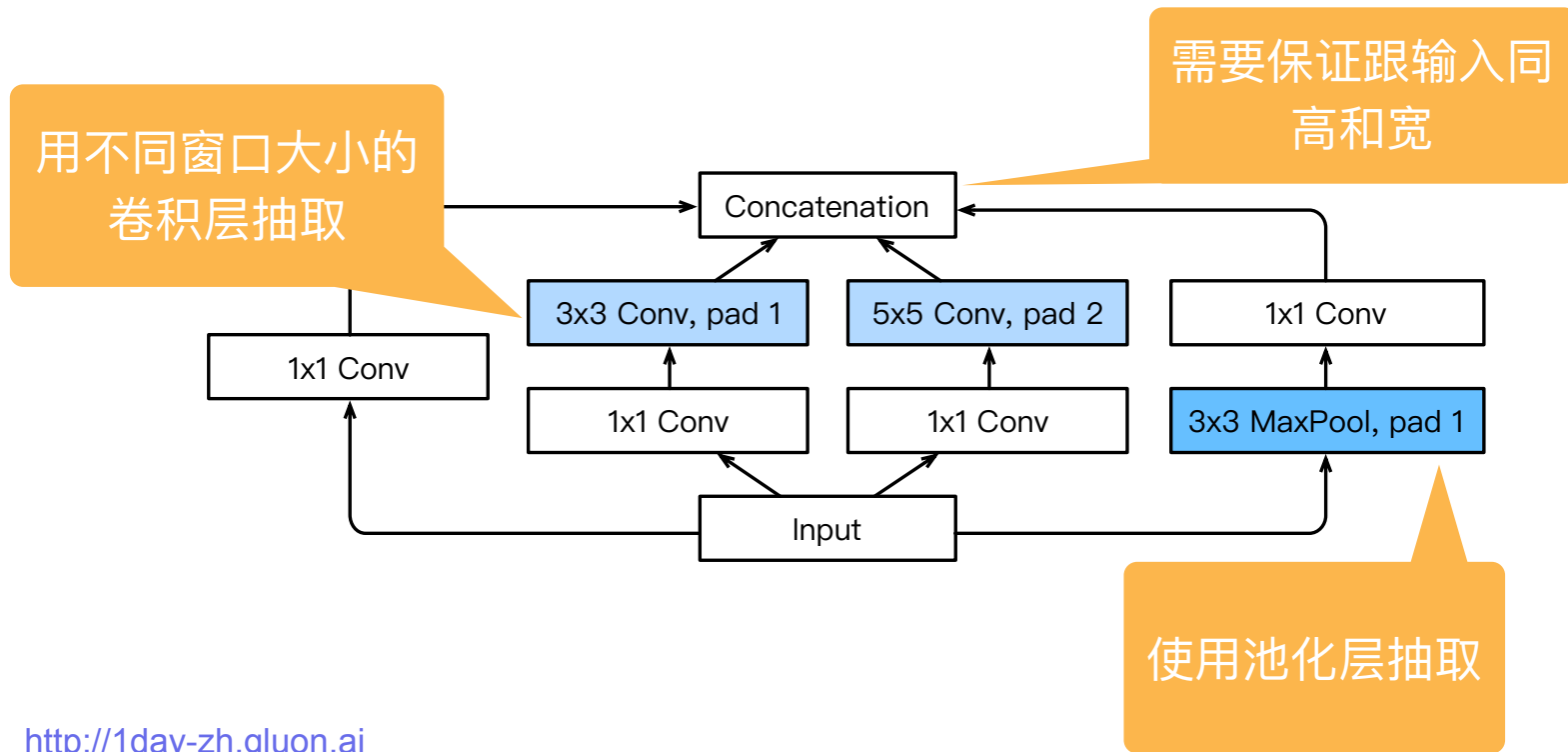
如何选取最好的卷积层



只有别人做选择。我要全部

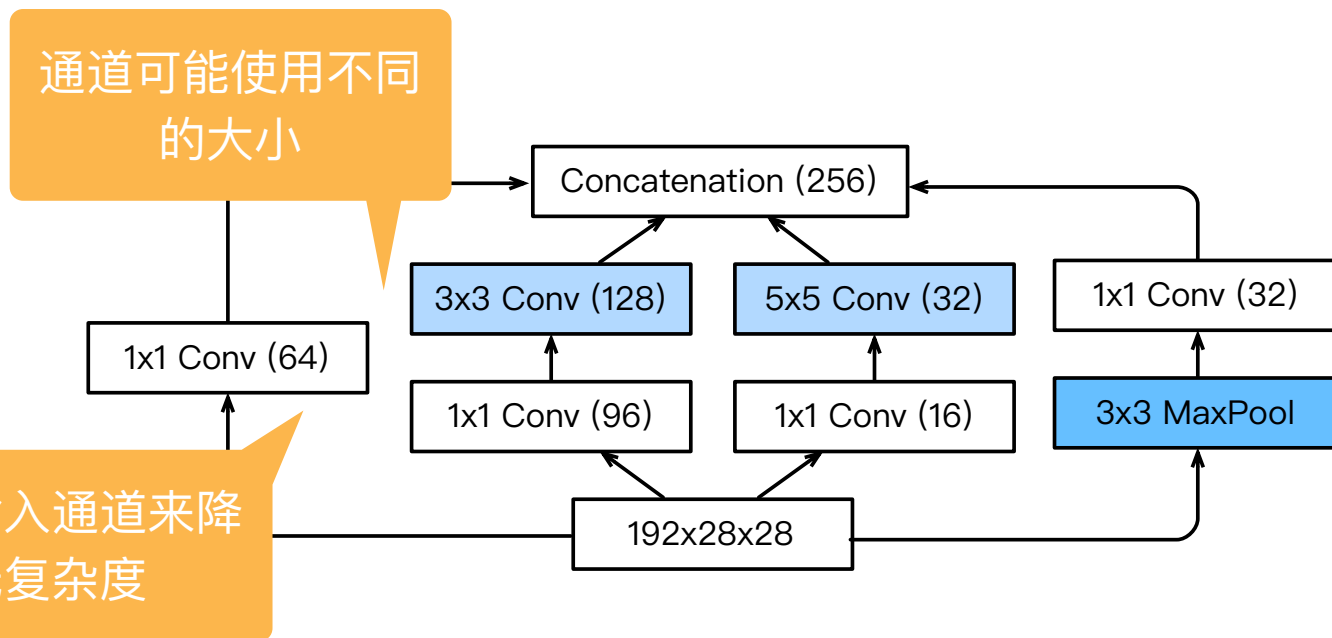
Inception 块

4 条通道分别抽取不同的方面信息，然后在通道维上合并



Inception 块

第一个 Inception 块，以及每个通道的大小

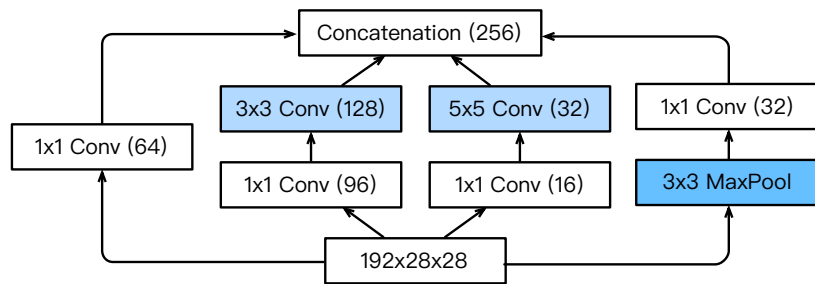


Inception 块

Inception 块通常比单 3x3 或 5x5 卷积层设计有更少的可学习参数和计算量

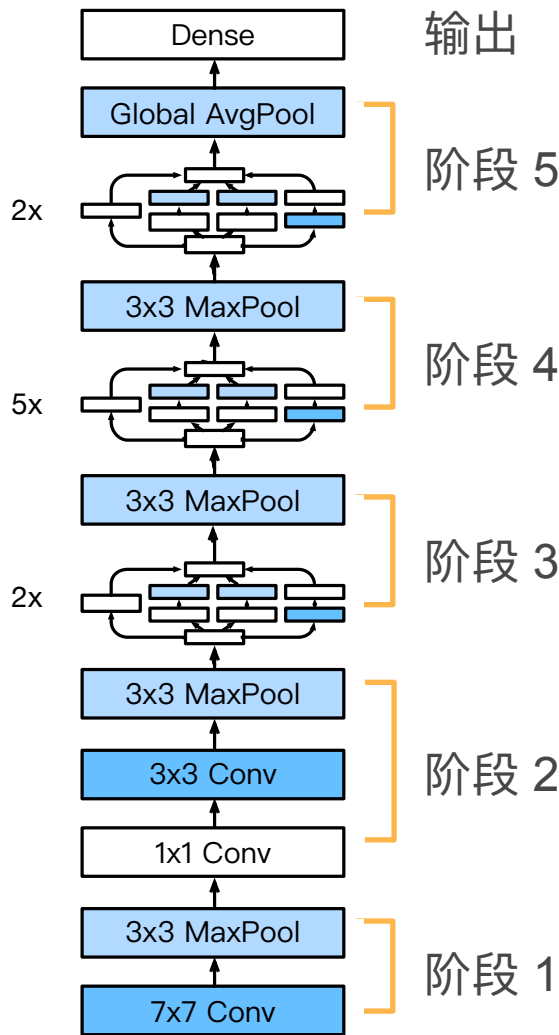
- 混合不同的函数
- 内存和计算有效

	#parameters	FLOPS
Inception	0.16 M	128 M
3x3 Conv	0.44 M	346 M
5x5 Conv	1.22 M	963 M



GoogLeNet

- 5 阶段，共 9 个 inception 块

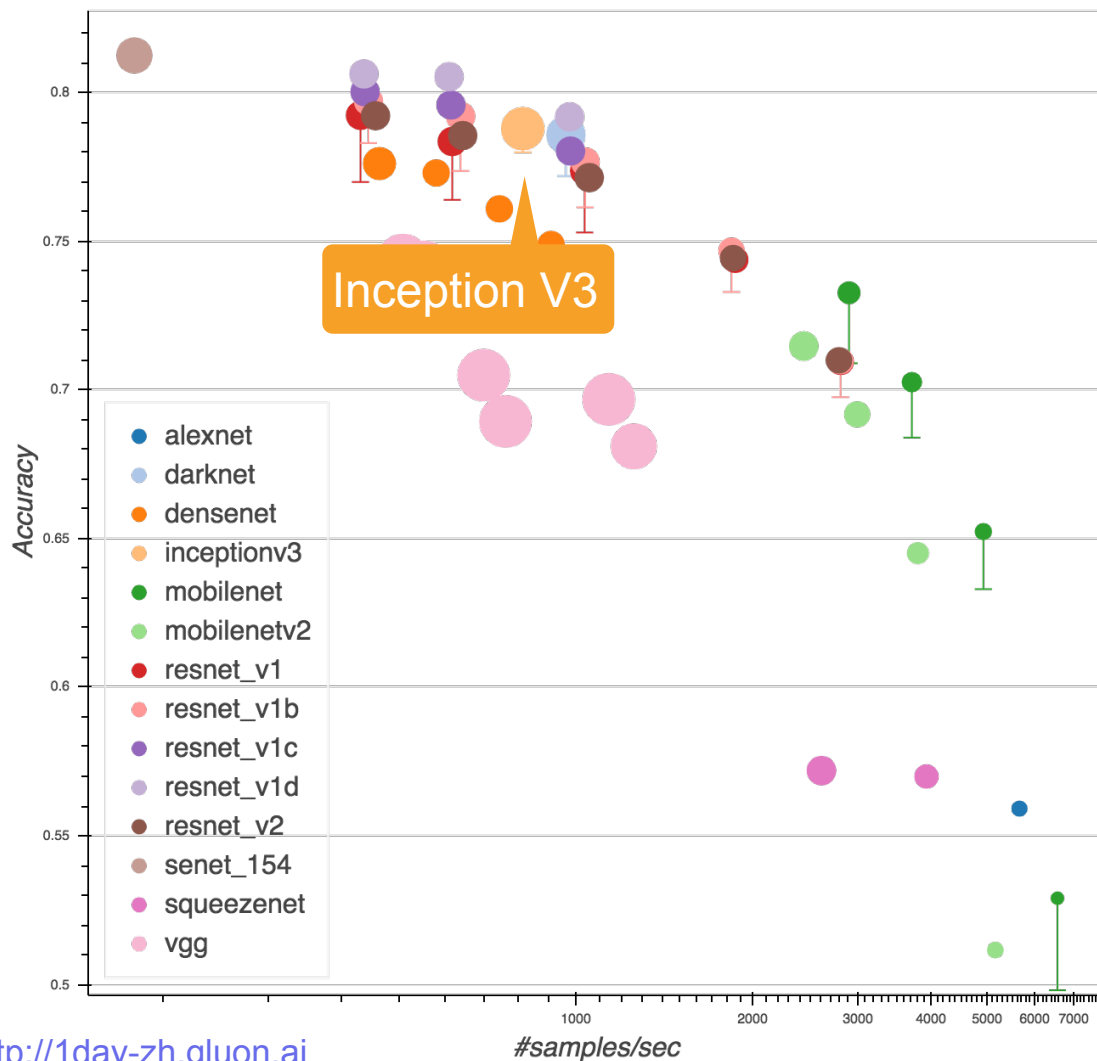


不同的 Inception 架构

- Inception-BN (v2) — 使用批量归一化
- Inception-V3 — 修改了 inception 块
 - 替换 5x5 成多个 3x3 卷积层
 - 替换 5x5 成 1x7 和 7x1 卷积层
 - 替换 3x3 成 1x3 和 3x1 卷积层
 - 更深
- Inception-V4 — 加了残差连接

GluonCV Model Zoo

https://gluon-cv.mxnet.io/model_zoo/classification.html



<http://1day-zh.gluon.ai>





批量归一化

- 损失通常在最后一层
 - 顶部层通常学习更快
- 数据是从底部进入
 - 底部层变化会改变所有层
 - 顶部层需要重新学习很多次
 - 收敛更慢
- 我们能不能在更新底部层的时候不要改变太多顶部层

<http://1day-zh.gluon.ai>

损失



数据



批量归一化

- 我们能不能在更新底部层的时候不要改变太多顶部层
- 固定均值和方差

$$\mu_B = \frac{1}{|B|} \sum_{i \in B} x_i \text{ and } \sigma_B^2 = \frac{1}{|B|} \sum_{i \in B} (x_i - \mu_B)^2 + \epsilon$$

然后分别调整

$$x_{i+1} = \gamma \frac{x_i - \mu_B}{\sigma_B} + \beta$$

方差

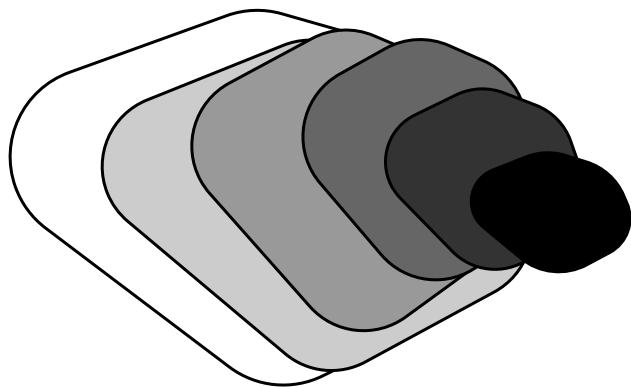
均值

损失

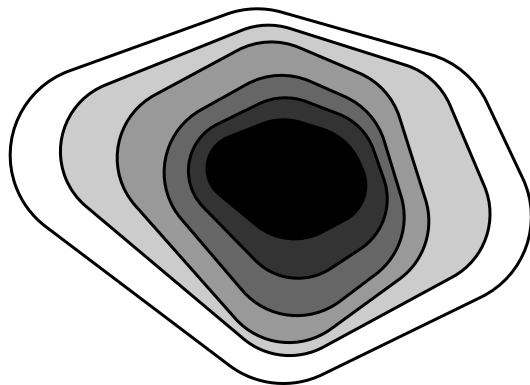
数据



残差网络

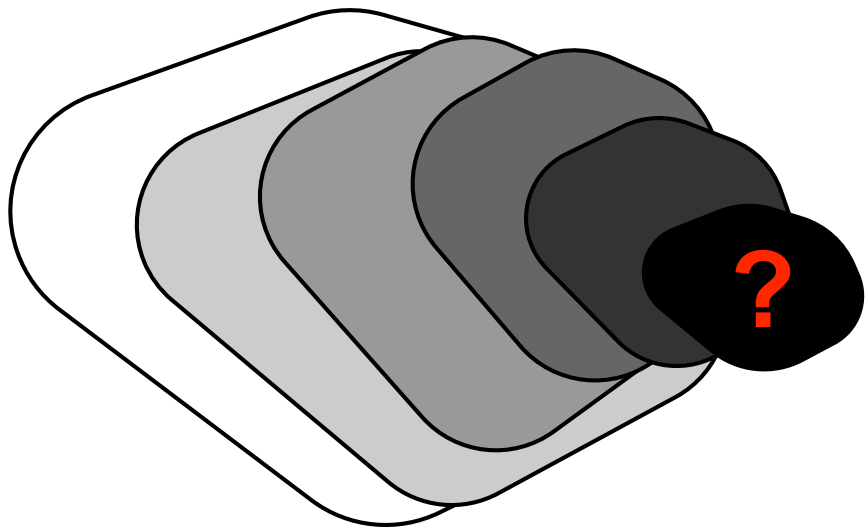


generic function classes

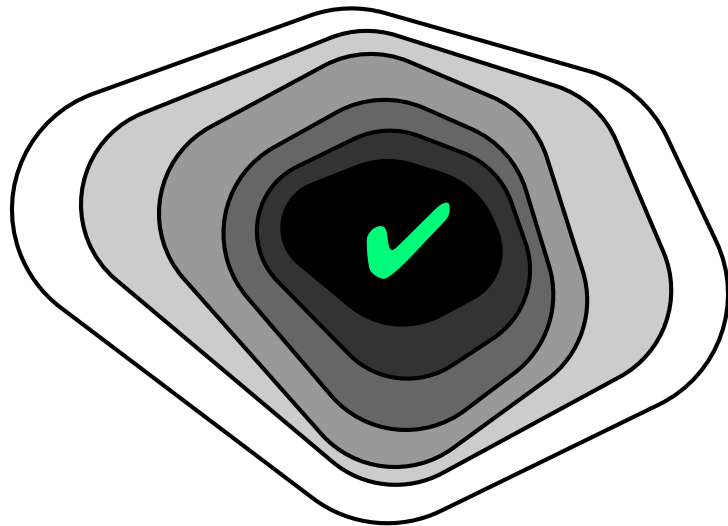


nested function classes

加层总是能提升精度吗？



generic function classes

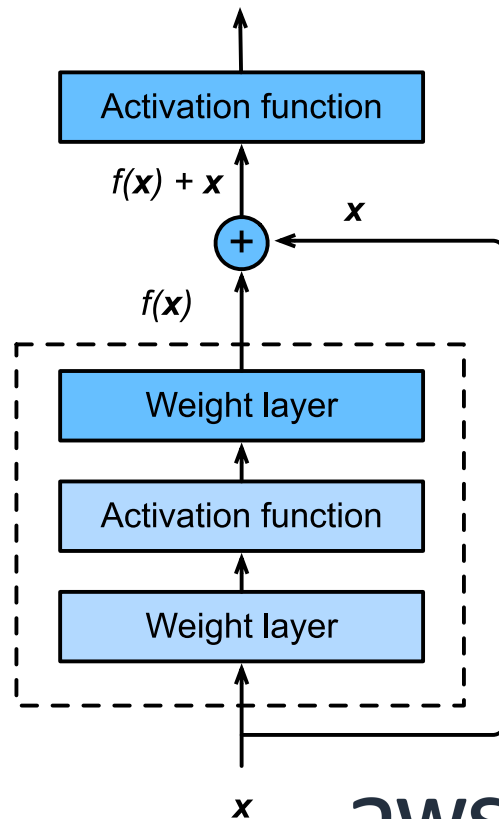
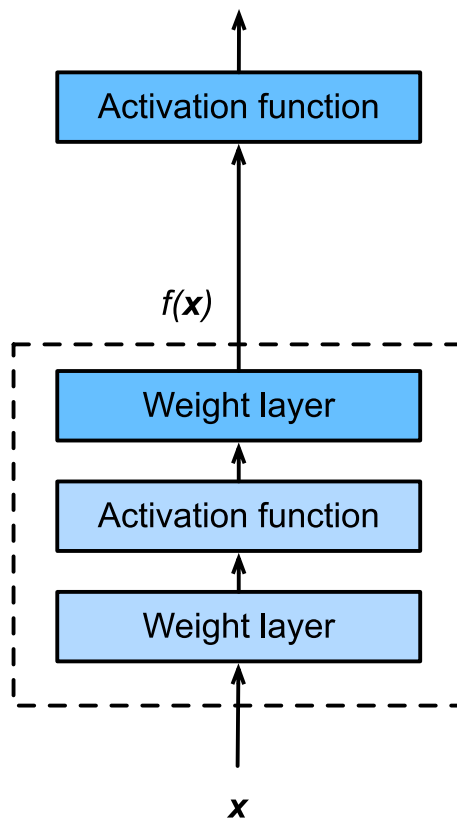


nested function classes

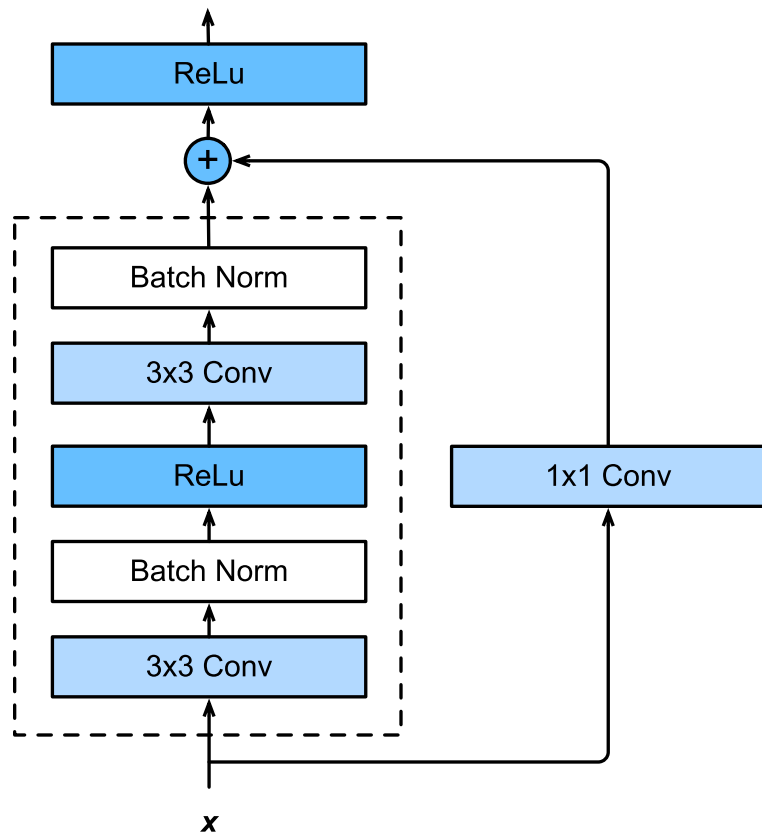
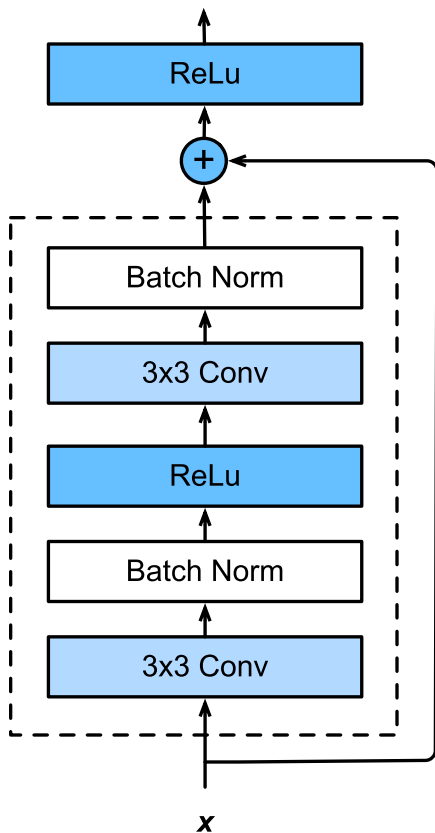
残差网络

- 加一层会改变函数类
- 我们想加一个函数
- ‘Taylor 展开’ 风格

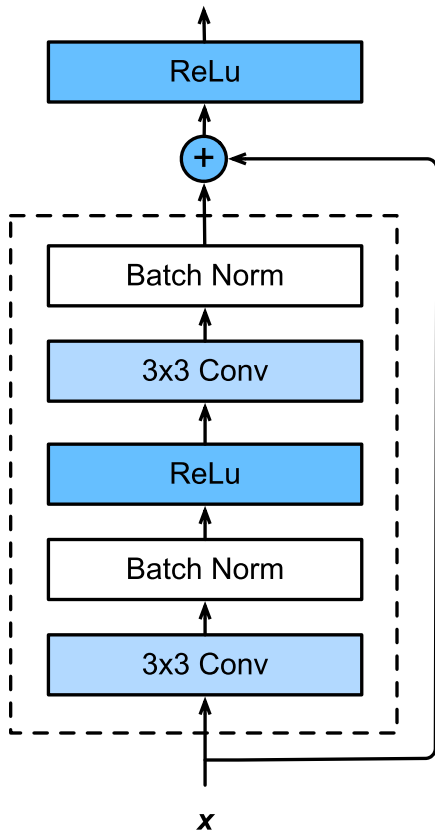
$$f(x) = x + g(x)$$



残差块细节

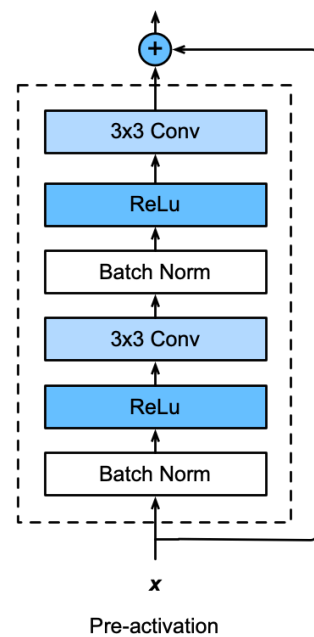
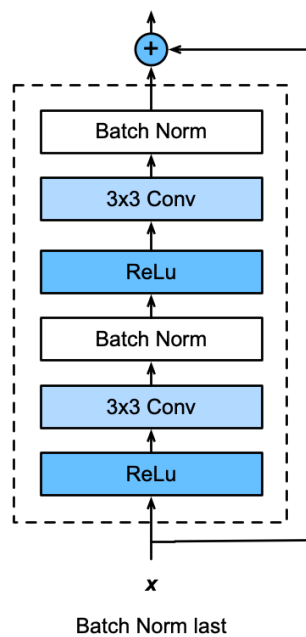
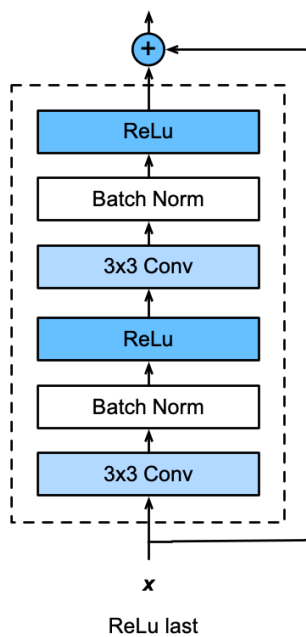
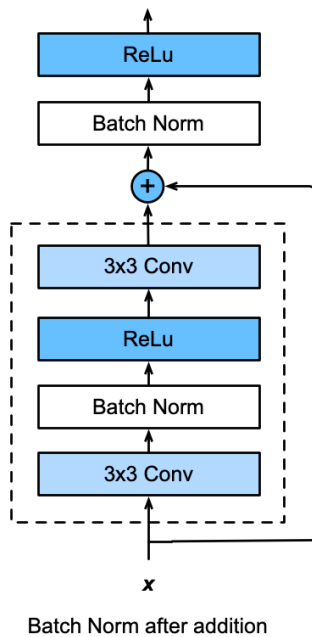
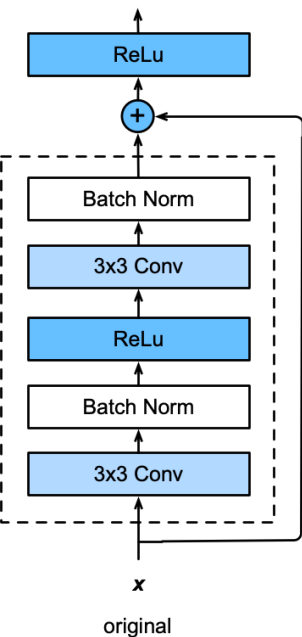


代码实现



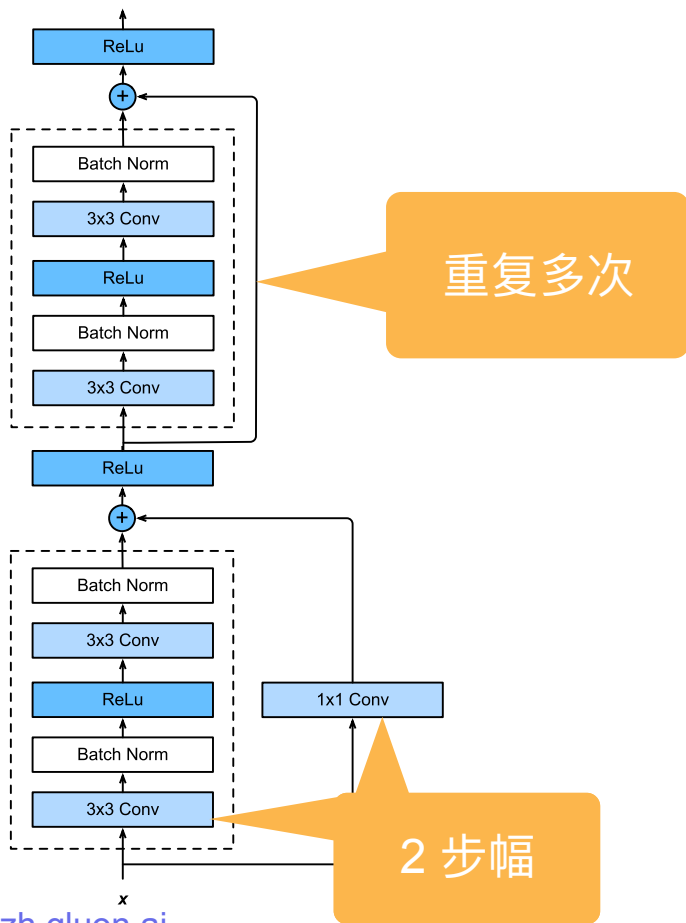
```
def forward(self, X):  
    Y = npx.relu(self.bn1(self.conv1(X)))  
    Y = self.bn2(self.conv2(Y))  
    return npx.relu(Y + X)
```

残差块有很多方式



使用各种不同排列

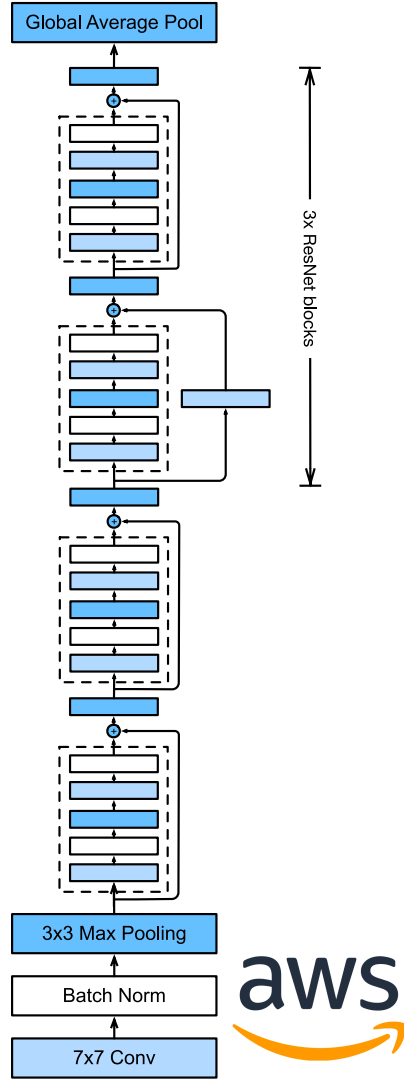
ResNet 块



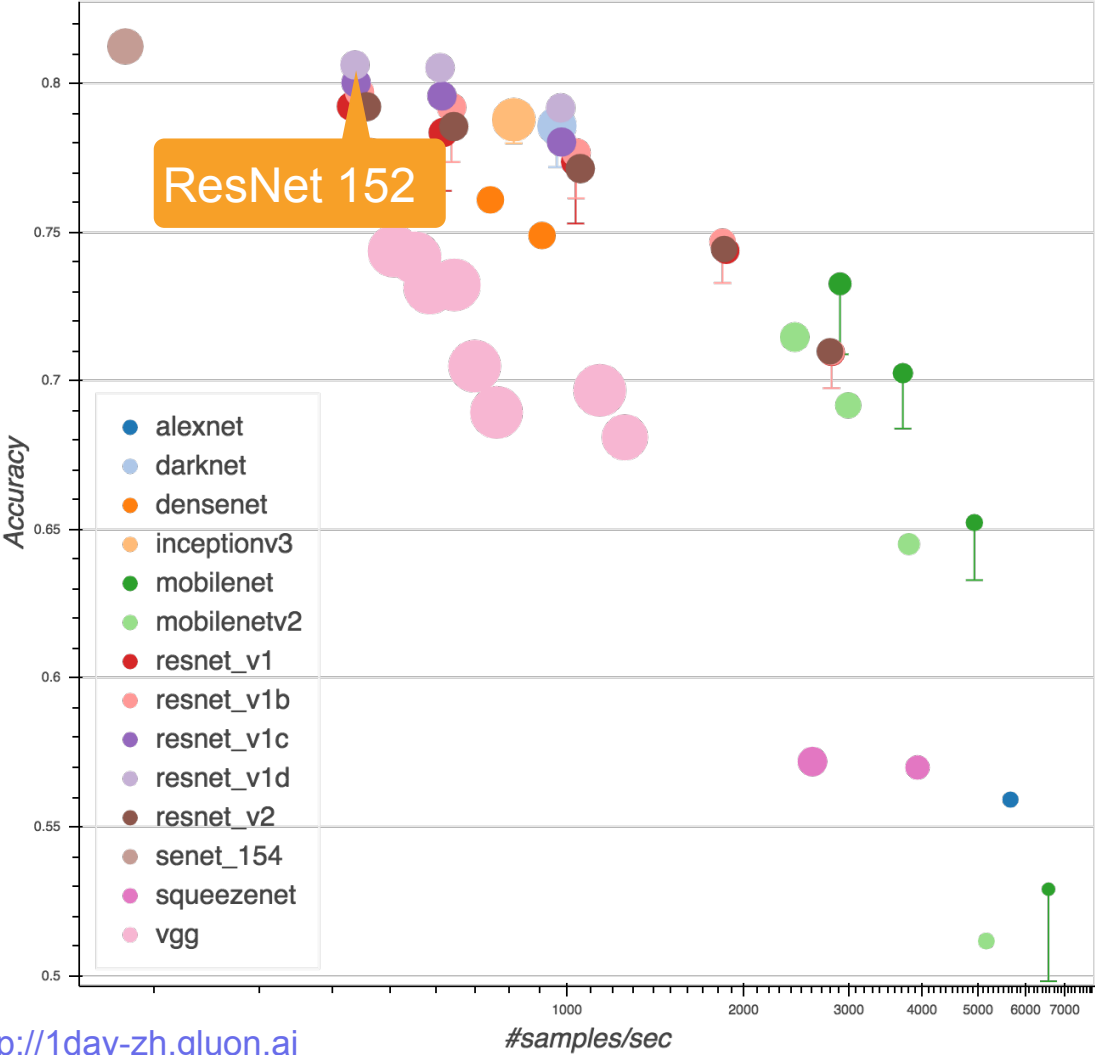
- 每块里面先减半高宽 (stride=2)
- 累加残差块

ResNet 架构

- 跟 VGG 和 GoogleNet 一样的总体架构
- 通过残差连接来增加表达性
- 池化和步幅来降低复杂度
- 批量归一化来做正则



GluonCV Model Zoo
https://gluon-cv.mxnet.io/model_zoo/classification.html



Jupyter Notebook

总结

- **GPUs**
- **卷积, 填充, 步幅, 池化**
- **卷积神经网络 (LeNet)**
- **深度卷积神经网络 (AlexNet)**
- **使用重复元素 (VGG)**
- **残差网络 (ResNet)**